



BEYOND THE BOUNDARIES
OF OPTICAL SYMMETRY

FREEFORM optics design & manufacturing

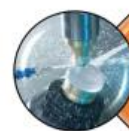
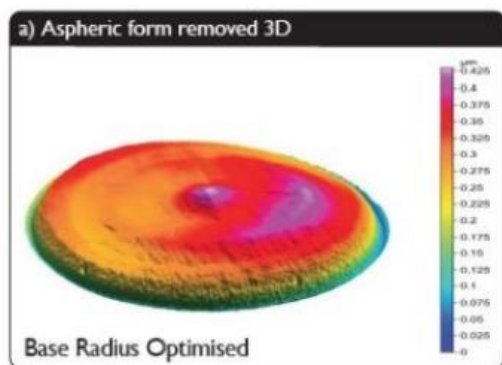


19.4.23

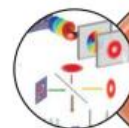
Nimrod Nissim

Capabilities needed for FF optics

Advanced optical-design & Production capabilities



CNC Optical Surfacing



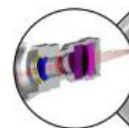
Metrology



Coating

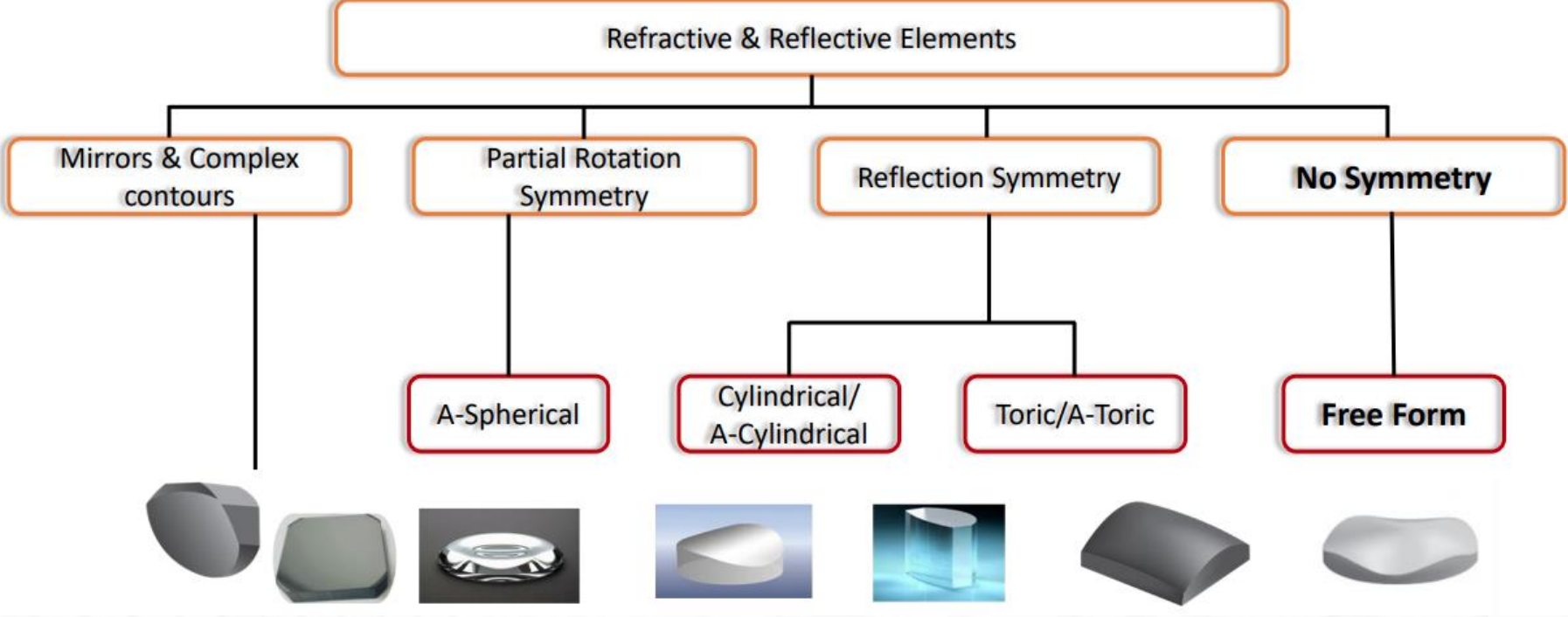


Optical Cementing

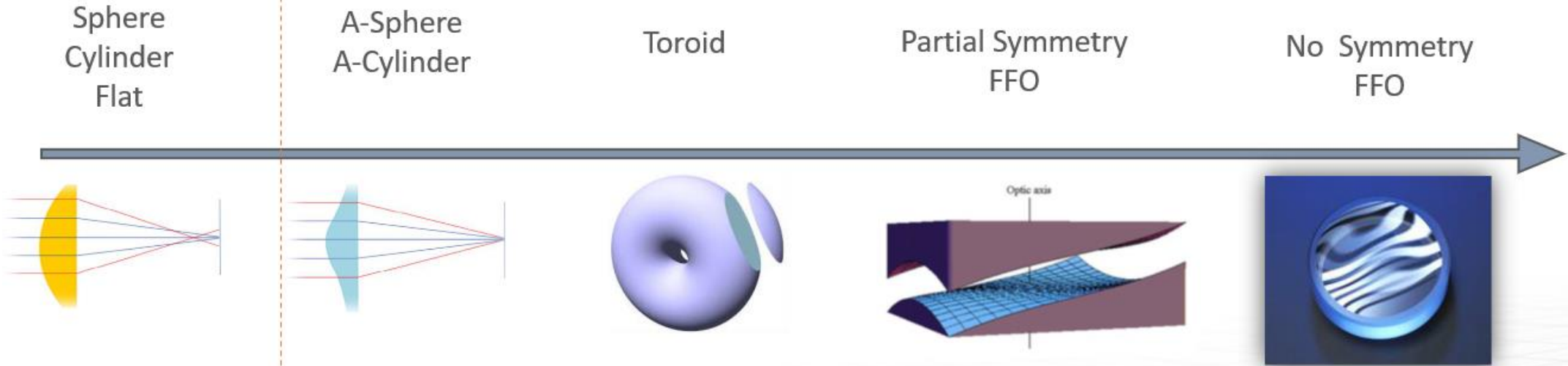


Optical Design

The complexity of optic components



The complexity of optic components



A-spheric & FF surfaces

Abbe 1902

$$z(r) = \frac{r^2}{R \left(1 + \sqrt{1 - (1 + \kappa) \frac{r^2}{R^2}} \right)} + \alpha_4 r^4 + \alpha_6 r^6 + \dots,$$

Aspheric- Perturbed Conical Polynomials

Power series with conic section base $Z(r)$

Coordinates: $Z; r$

κ = Conic constant

R =vertex radius

Rotational symmetry

Zernike in 1934

$$Z_j(\rho, \phi) = Z_n^m(\rho, \phi) = \begin{cases} \sqrt{n+1} R_n^0(\rho), & m = 0 \\ \sqrt{2(n+1)} R_n^m(\rho) \cos m\phi, & m \neq 0 \text{ (even)}, \\ \sqrt{2(n+1)} R_n^m(\rho) \sin m\phi, & m \neq 0 \text{ (odd)} \end{cases}$$

$$R_n^m(\rho) = \sum_{k=0}^{(n-m)/2} \frac{(-1)^k (n-k)!}{k! \left(\frac{n+m}{2} - k\right)! \left(\frac{n-m}{2} - k\right)!} \rho^{n-2k}$$

Radial Function

Zernike Polynomials

Power series of 3D surface $Z(\rho, \phi)$

Coordinates: $Z; \rho; \phi$

n - Radial order

m - Azimuthal

Defined over circular aperture

Orthogonal Polynomials

A-spheric & FF surfaces

Forbes 2012

$$f(\rho, \theta) = \frac{c\rho^2}{1 + \sqrt{1 - c^2\rho^2}} + \frac{1}{\sqrt{1 - c^2\rho^2}} u^2 (1 - u^2) \sum_{n=0}^N a_n^0 Q_n^0(u^2) \\ + \frac{1}{\sqrt{1 - c^2\rho^2}} \sum_{m=1}^M u^m \sum_{n=0}^N [a_n^m \cos(m\theta) + b_n^m \sin(m\theta)] Q_n^m(u^2),$$

A “good” polynomial should fulfill some basic characteristics:

- Orthogonal
- Continuous Derivatives
- Better resistant to “ill conditioning”

Gradient-orthogonal Q-polynomials

Coordinates: f ; ρ ; ϕ

$$u = \rho/\rho_{max}$$

ρ_{max} - Aperture radius

c - Curvature of best fit sphere

m, n – order indices

Describes the deviation from a best fit sphere

Orthogonal Polynomials

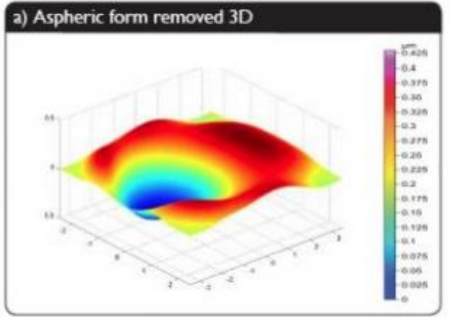
Q_n^0 -represents the rotationally symmetric slope-orthogonal Q_{bfs} polynomials

Q_n^m -represents the gradient-orthogonal Q polynomials

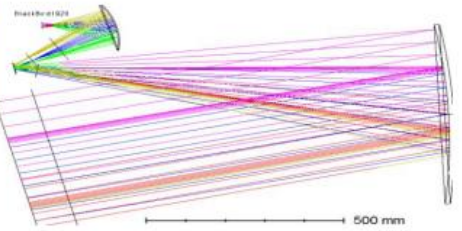
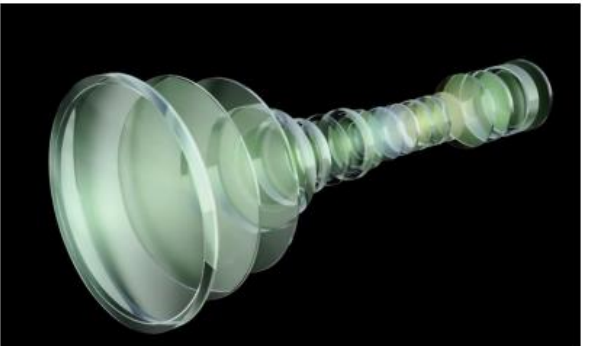
קיימים סוגים נוספים של פולינומים...

The need for FF

The need for FFO

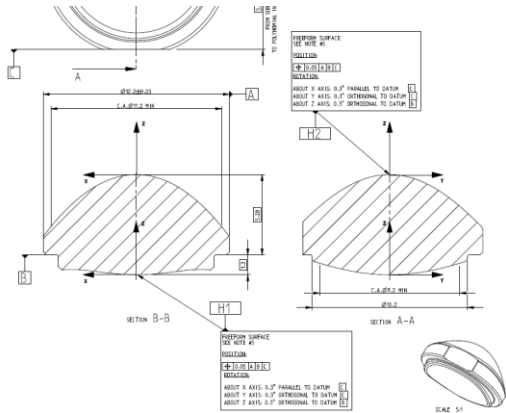
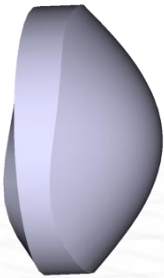
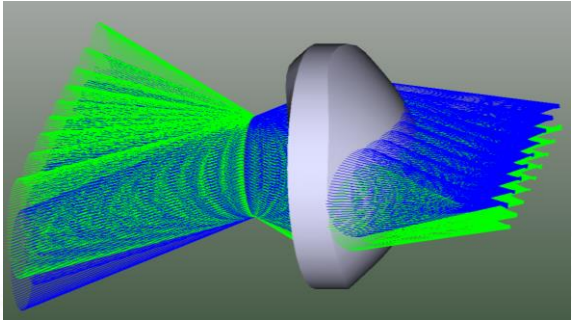
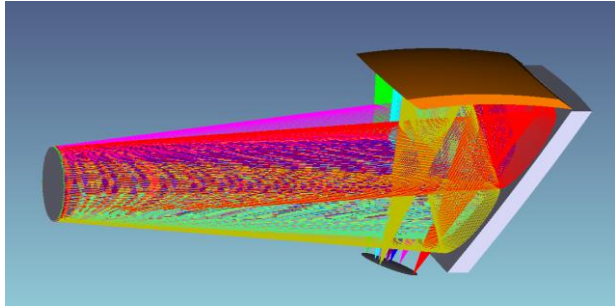
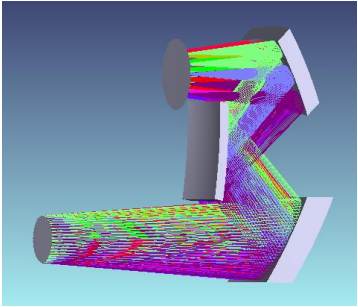
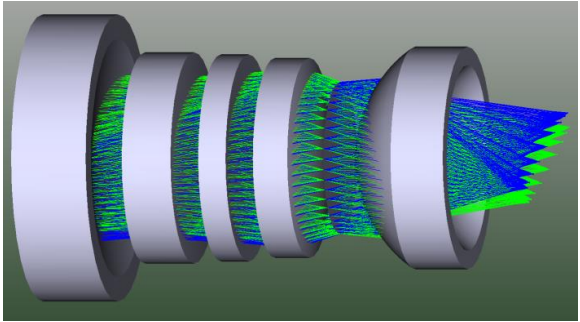


The tradeoff:
High performance = Large & Expensive system



CNC manufacturing of high precision optics enables us to:
reduce size and cost while optimizing performance

The need for FF

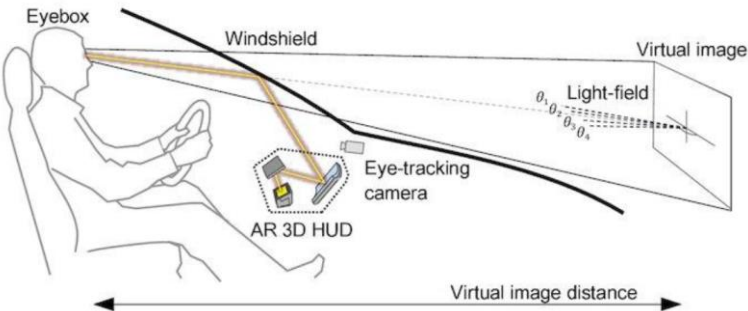


Examples for FF based systems

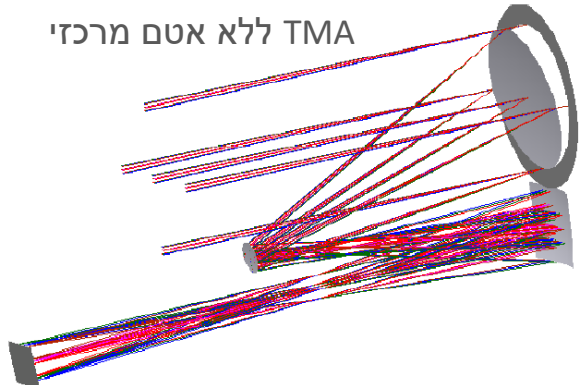
AR/VR



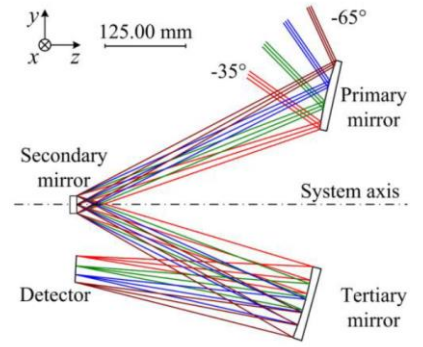
HUD for automotive



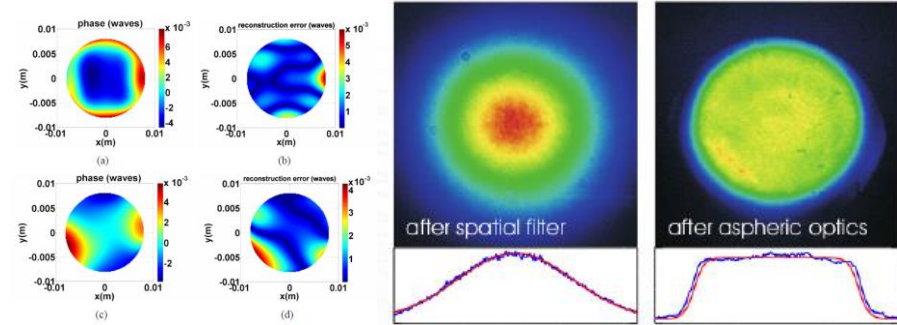
Space telescopes



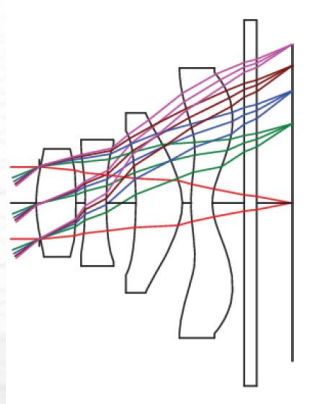
Nonconcentric imaging



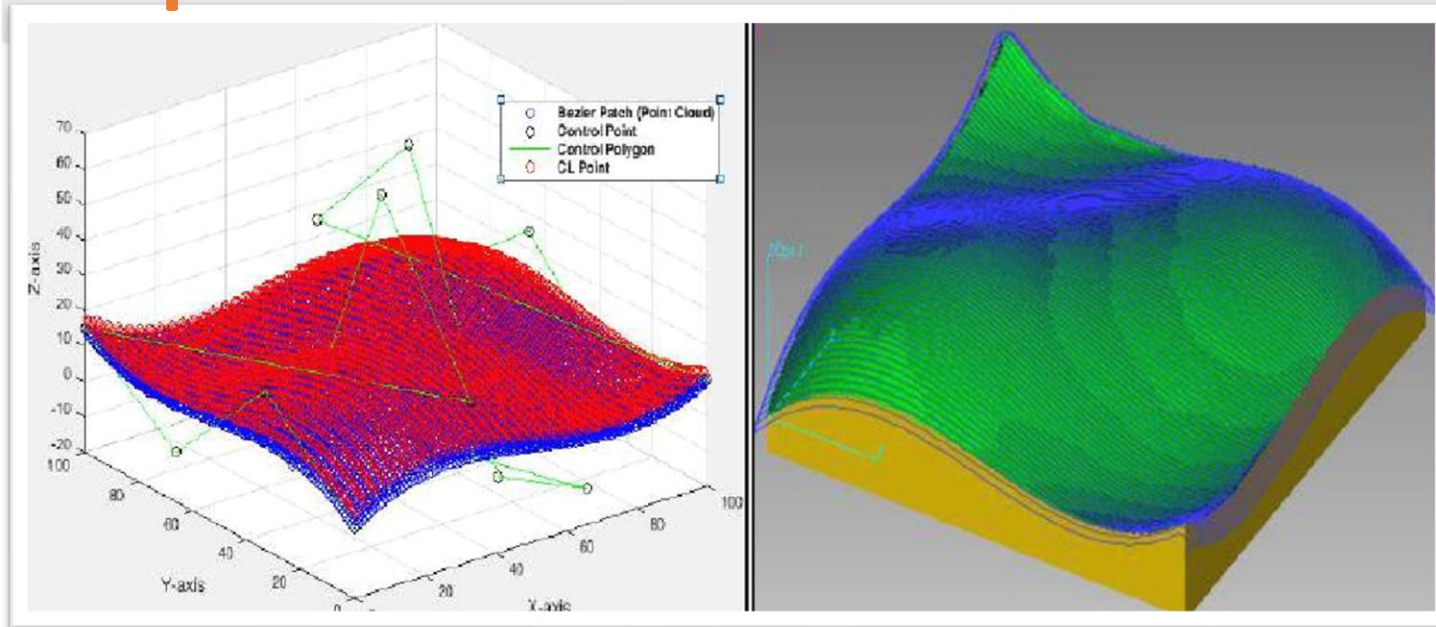
Phase correctors



Optics with severe volume constraints



A-spheric & FF surfaces

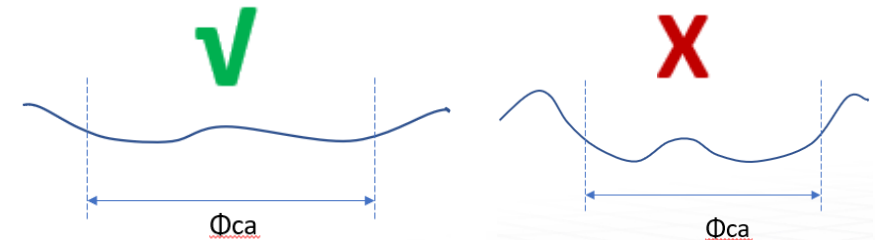


Points cloud

Surface can also be defined in numerical way.

In that case the manufacturer verifies sufficient density for interpolation as well as margins for extrapolation.

Close interaction is needed with the customer.

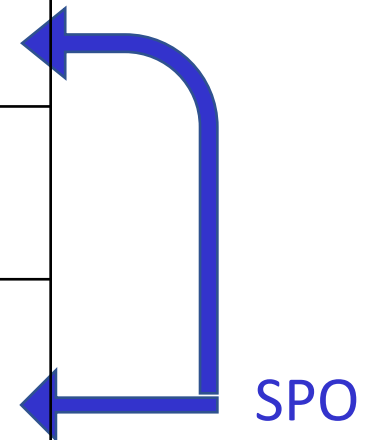


The choice of the mathematical representation to describe the surface affects the efficiency of the optimization. The geometry of the surface obtained, as a result of the design, determines its manufacturability.

There is no clear method in this matter, and the experience of the optical designer has a lot of weight in the successful choice of the surface representation

Main production technologies

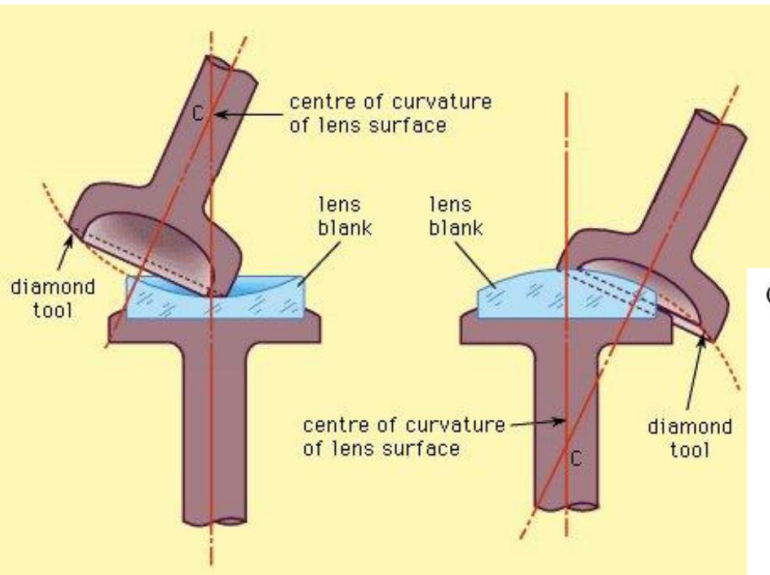
Conventional lapping	Accuracy is guaranteed through a simple and well-defined mechanical mechanism. Suitable for spherical and cylindrical surfaces. High accuracies
SPDT	Enables high precision (principle of operation of a lathe) Limited to producing rotational symmetry(*) and only to "continuous" materials
CNC Grinding & Polishing	Enables the production of all types of surfaces (CNC principle in metal) Two-stage processing (milling + greening) A wide variety of materials It is difficult to achieve high accuracy
Laser grinding & polishing	not yet commercial
MRF- Magneto Rheological Finishing IBF- Ion Beam Finishing	Technologies used for final polishing and minimal Figure-Error
Glass Molding	Economically justified only in large quantities - reduced accuracy



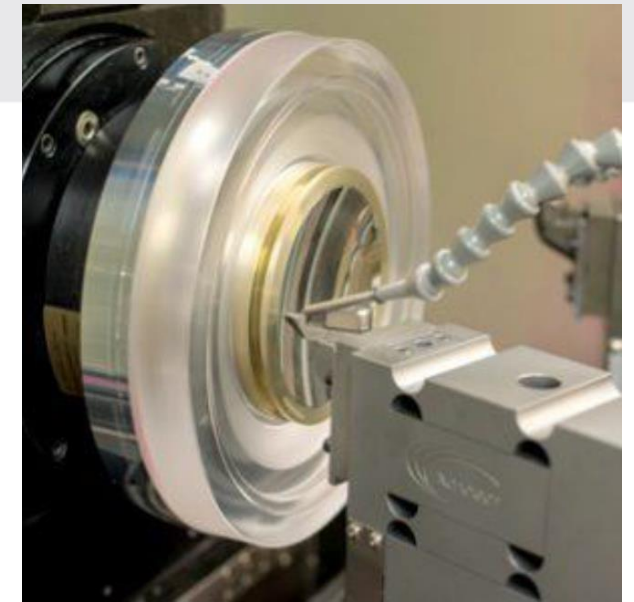
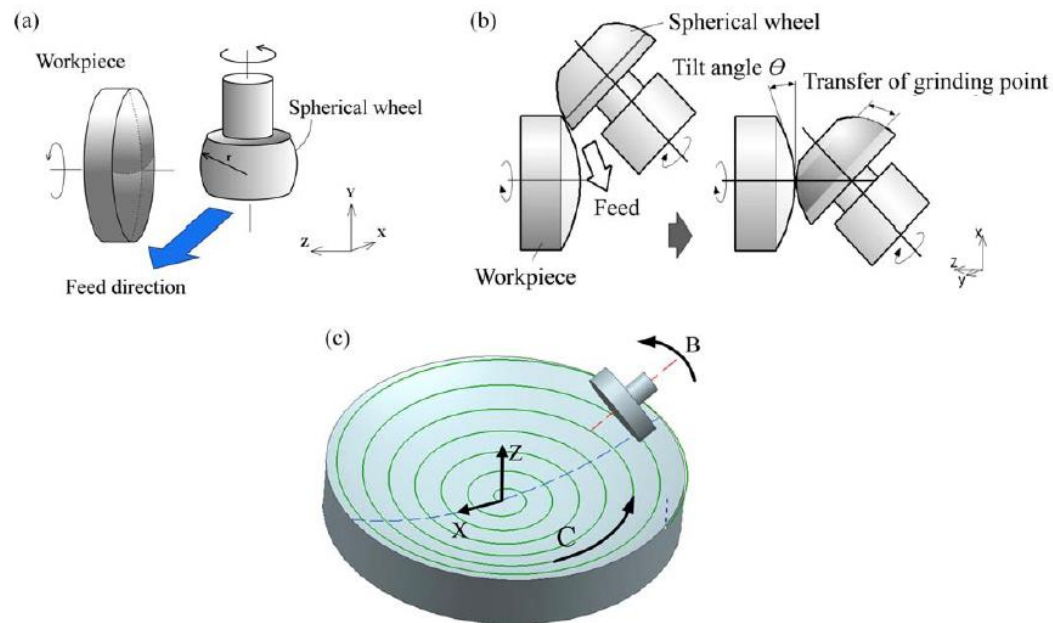
(*) Slow Servo SPDT machines can produce certain types of FFO surfaces

Main production technologies

Conventional lapping



Grinding & Polishing of Glass



IR Materials

- Germanium
- Zinc Selenide
- Zinc Sulfide
- Chalcogenide Glasses
- Silicon

Metal Alloys

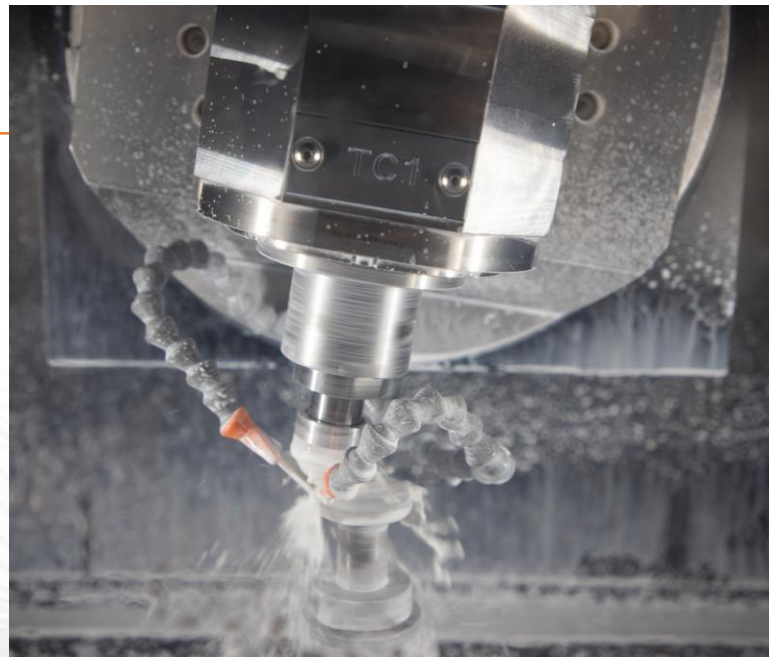
Polymers

Multi variable process

$$z(r) = \frac{r^2}{R \left(1 + \sqrt{1 - (1 + \kappa) \frac{r^2}{R^2}} \right)} + \alpha_4 r^4 + \alpha_6 r^6 + \dots,$$

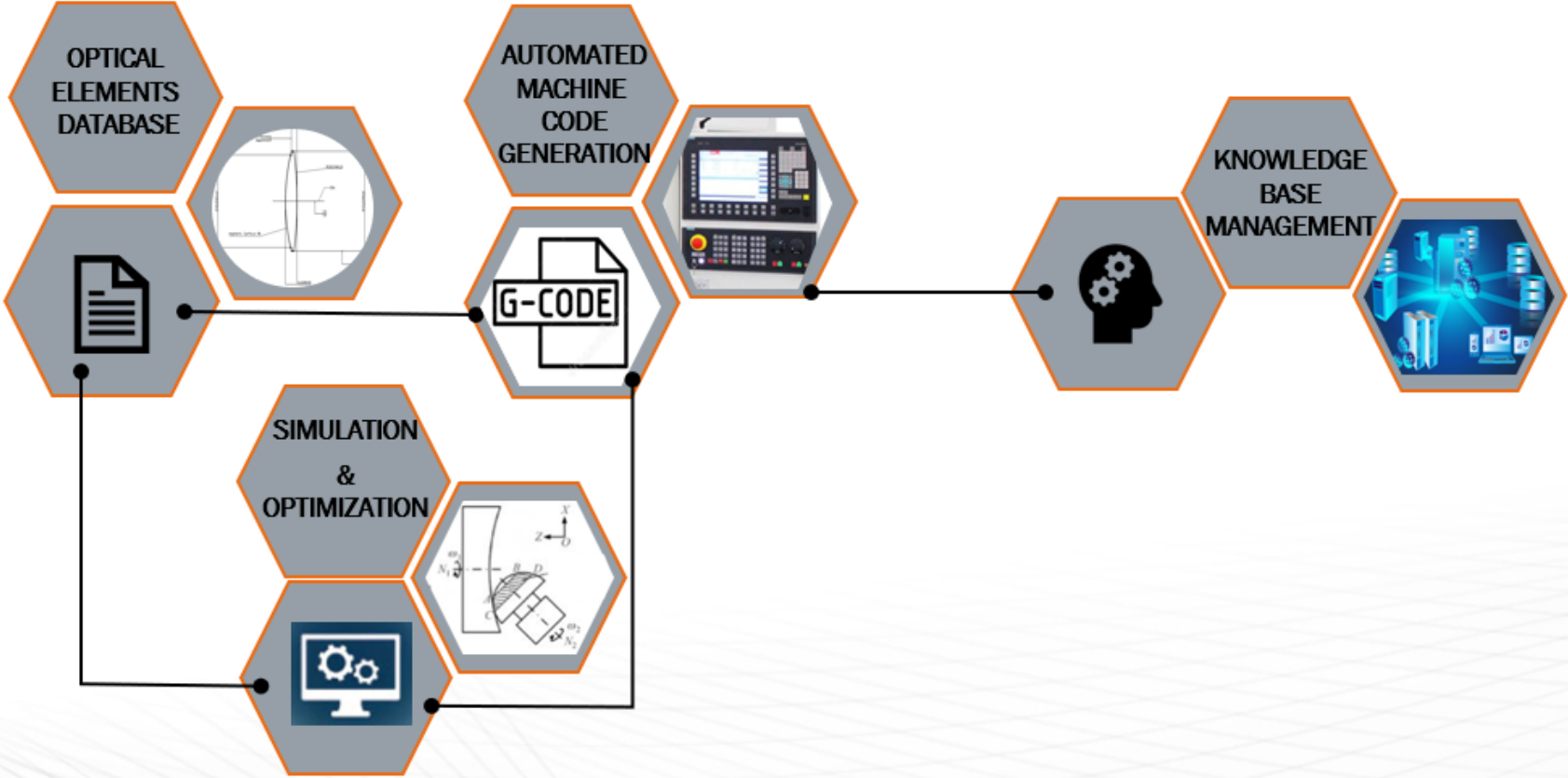
Pressure on surface
Kinematics
Machine errors
Base line errors
Surface measurements
Surface analysis
Correction strategy
Correction errors
Mechanical axis errors

Many degrees of freedom!



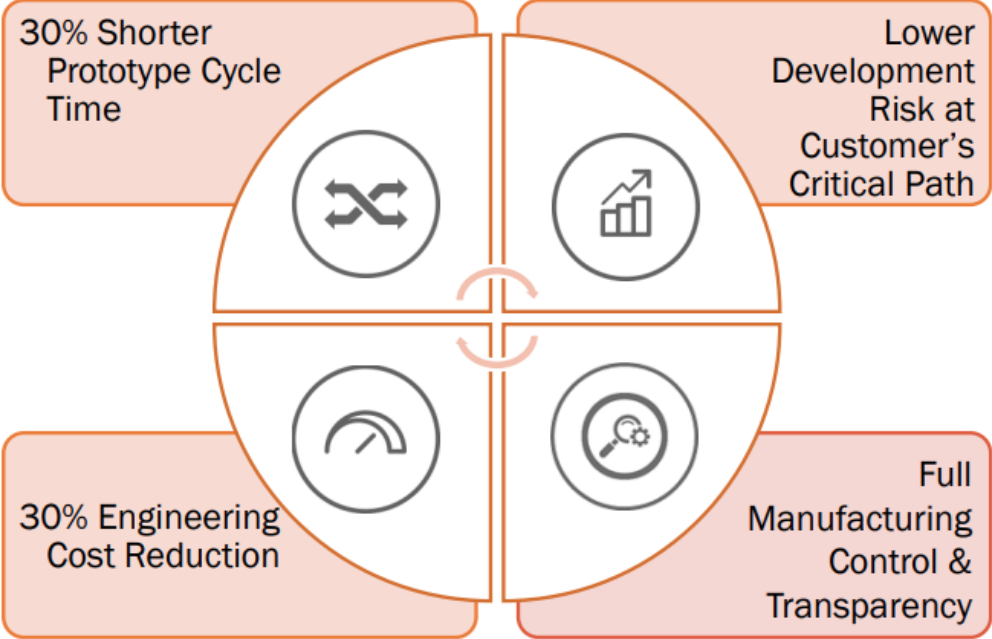
Optic surface definition
Material
Grinding / polishing
process of choice
Tool type
Polishing pad type
Polishing slurry
Local material removal
rate

Answer – Digital Manufacturing Infrastructure



Digital Manufacturing Infrastructure

DMI: Major benefits for consumers



Thank you